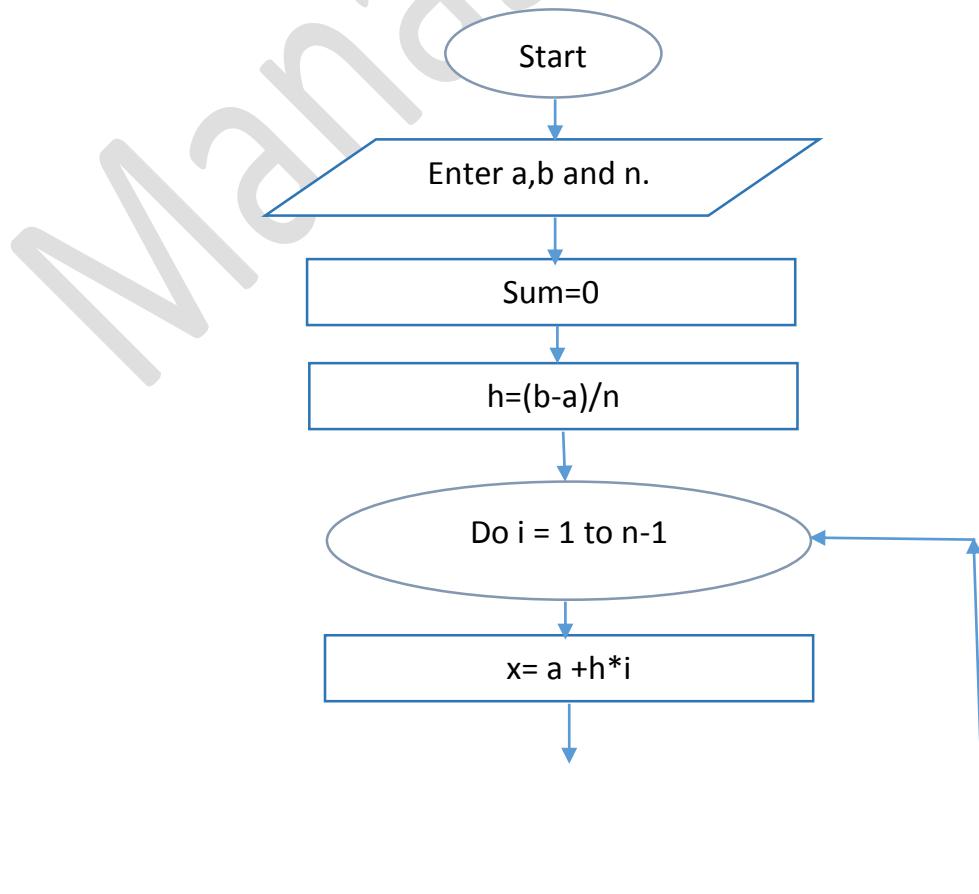


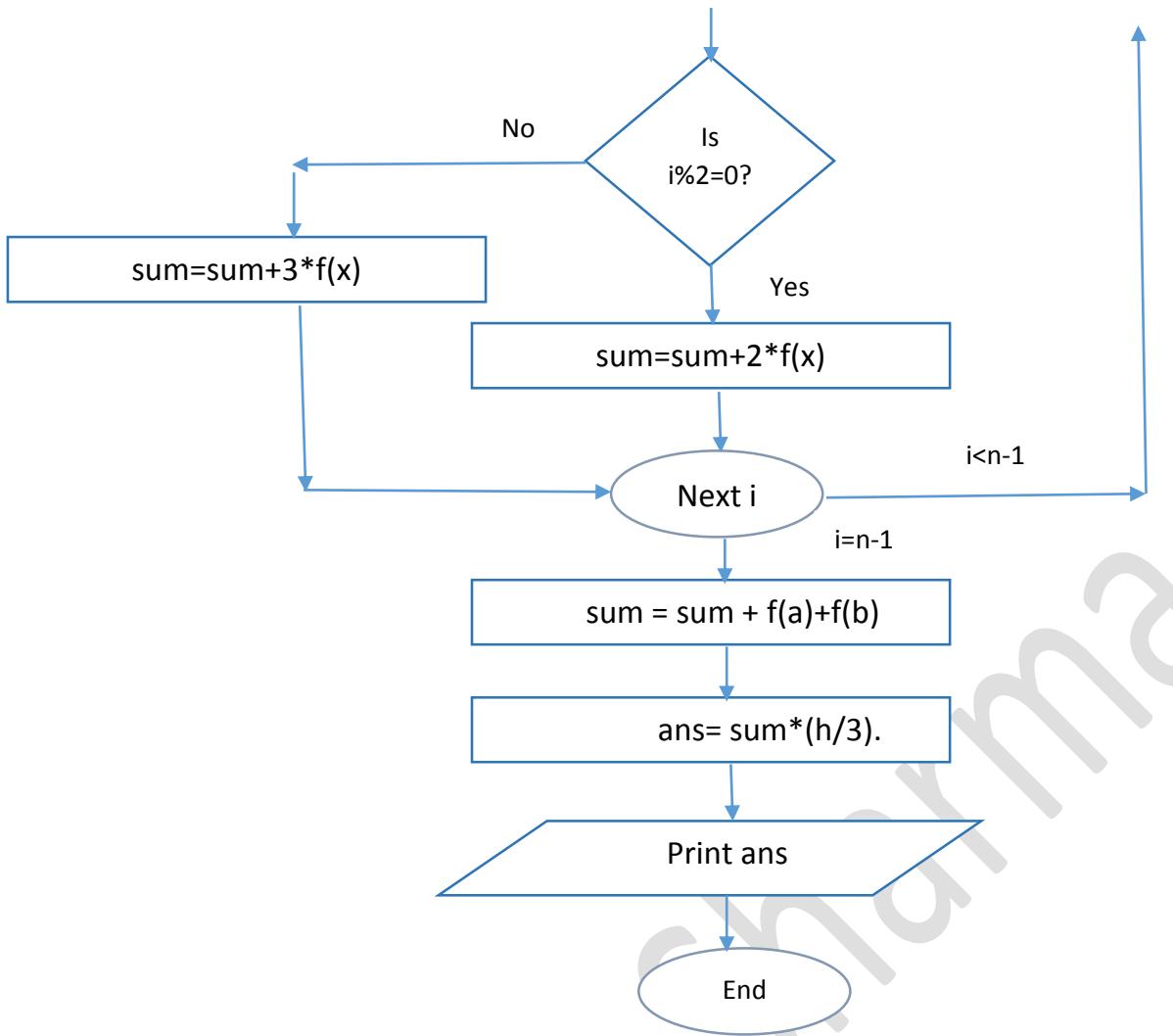
Aim: To evaluate a definite integral by Simpson's 3/8 Rule

Algorithm:

1. Given a function $f(x)$:
2. (Get user inputs)
Input
 $a, b = \text{endpoints of interval}$
 $n = \text{number of intervals (Even)}$
(Do the integration)
3. Set $h = (b-a)/n$.
4. Set sum=0.
5. Begin For $i = 1$ to $n - 1$
 Set $x = a + h*i$.
 If $i \% 3 = 0$
 Then Set sum=sum+2*f(x)
 Else
 Set sum=sum+3*f(x)
 End For
6. Set sum = sum + $f(a) + f(b)$
7. Set ans = sum*($3h/8$).
8. End

Flow Chart:





Program:

```

//Simpson's 3/8th Rule for Evaluation of Definite Integrals
#include<iostream>
#include<cmath>
using namespace std;
double f(double x)
{
    double a=1/(1+x*x); //write the function whose definite integral is to be calculated here
    return a;
}
int main()
{
    cout.precision(4); //set the precision
    cout.setf(ios::fixed);
    int n,i; //n is for subintervals and i is for loop
    double a,b,c,h,sum=0,integral;
    cout<<"\nEnter the limits of integration,\n\nInitial limit,a=";
    cin>>a;
    cout<<"\nFinal limit, b="; //get the limits of integration
    cin>>b;
    cout<<"\nEnter the no. of subintervals(IT SHOULD BE A MULTIPLE OF 3), \nn=";
    //get the no. of subintervals

```

```

cin>>n;
double x[n+1],y[n+1];
h=(b-a)/n;           //get the width of the subintervals
for (i=0;i<n+1;i++)
{
    x[i]=a+i*h;      //loop to evaluate x0,...xn and y0,...yn
    y[i]=f(x[i]);
}
for (i=1;i<n;i++)
{
    if (i%3==0)
        sum=sum+2*y[i];
    else
        sum=sum+3*y[i];
}
integral=3*h/8*(y[0]+y[n]+sum); //3h/8*[y0+yn+3*(y1+y2+y4+...)+2*(y3+y6+y9+...+)]
cout<<"\nThe definite integral is "<<integral<<"\n"<<endl;
return 0;
}

```

Output:

For $f(x) = 1/(1+x^2)$:

```

Enter the limits of integration,
Initial limit,a= 0
Final limit, b=6
Enter the no. of subintervals(IT SHOULD BE A MULTIPLE OF 3),
n=24
The definite integral  is 1.4056

```

For $f(x) = x^3$:

```

Enter the limits of integration,
Initial limit,a= 0
Final limit, b=6
Enter the no. of subintervals(IT SHOULD BE A MULTIPLE OF 3),
n=3
The definite integral  is 324.0000

```