

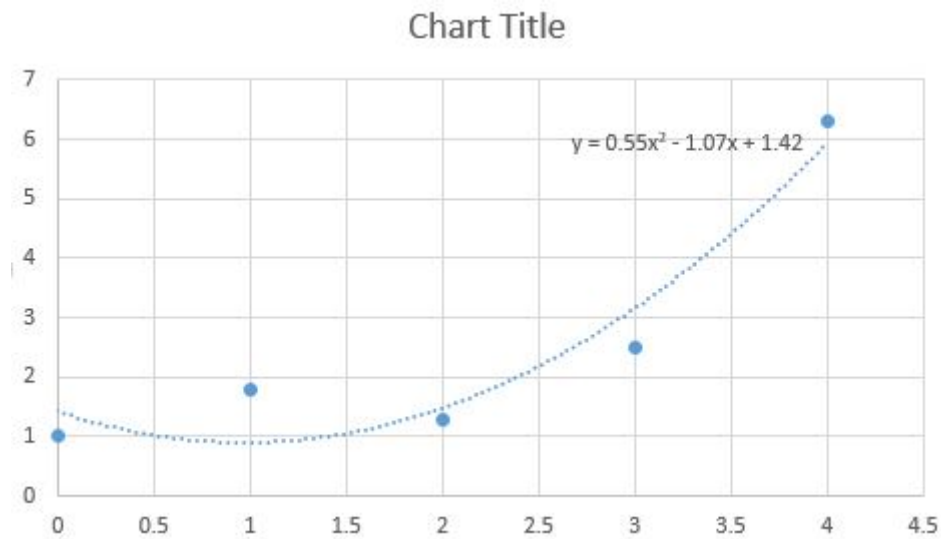
UPDATE: For a better and cleaner version of the program I refer you to this [link](#).

```
//Polynomial Fit
#include<iostream>
#include<iomanip>
#include<cmath>
using namespace std;
int main()
{
    int i,j,k,n,N;
    cout.precision(4); //set precision
    cout.setf(ios::fixed);
    cout<<"\nEnter the no. of data pairs to be entered:\n"; //To find the size
of arrays that will store x,y, and z values
    cin>>N;
    double x[N],y[N];
    cout<<"\nEnter the x-axis values:\n"; //Input x-values
    for (i=0;i<N;i++)
        cin>>x[i];
    cout<<"\nEnter the y-axis values:\n"; //Input y-values
    for (i=0;i<N;i++)
        cin>>y[i];
    cout<<"\nWhat degree of Polynomial do you want to use for the fit?\n";
    cin>>n; // n is the degree of Polynomial
    double X[2*n+1]; //Array that will store the values of
sigma(xi),sigma(xi^2),sigma(xi^3)...sigma(xi^2n)
    for (i=0;i<2*n+1;i++)
    {
        X[i]=0;
        for (j=0;j<N;j++)
            X[i]=X[i]+pow(x[j],i); //consecutive positions of the array will
store N,sigma(xi),sigma(xi^2),sigma(xi^3)...sigma(xi^2n)
    }
    double B[n+1][n+2],a[n+1]; //B is the Normal matrix(augmented) that will
store the equations, 'a' is for value of the final coefficients
    for (i=0;i<=n;i++)
        for (j=0;j<=n;j++)
            B[i][j]=X[i+j]; //Build the Normal matrix by storing the
corresponding coefficients at the right positions except the last column of the matrix
    double Y[n+1]; //Array to store the values of
sigma(yi),sigma(xi*yi),sigma(xi^2*yi)...sigma(xi^n*yi)
    for (i=0;i<n+1;i++)
    {
        Y[i]=0;
        for (j=0;j<N;j++)
            Y[i]=Y[i]+pow(x[j],i)*y[j]; //consecutive positions will store
sigma(yi),sigma(xi*yi),sigma(xi^2*yi)...sigma(xi^n*yi)
    }
    for (i=0;i<=n;i++)
        B[i][n+1]=Y[i]; //load the values of Y as the last column of
B(Normal Matrix but augmented)
```

```

n=n+1;          //n is made n+1 because the Gaussian Elimination part below
was for n equations, but here n is the degree of polynomial and for n degree we get n+1
equations
cout<<"\n\nThe Normal(Augmented Matrix) is as follows:\n";
for (i=0;i<n;i++)          //print the Normal-augmented matrix
{
    for (j=0;j<=n;j++)
        cout<<B[i][j]<<setw(16);
    cout<<"\n";
}
for (i=0;i<n;i++)          //From now Gaussian Elimination starts(can be
ignored) to solve the set of linear equations (Pivotisation)
    for (k=i+1;k<n;k++)
        if (B[i][i]<B[k][i])
            for (j=0;j<=n;j++)
                {
                    double temp=B[i][j];
                    B[i][j]=B[k][j];
                    B[k][j]=temp;
                }
for (i=0;i<n-1;i++)          //loop to perform the gauss elimination
    for (k=i+1;k<n;k++)
        {
            double t=B[k][i]/B[i][i];
            for (j=0;j<=n;j++)
                B[k][j]=B[k][j]-t*B[i][j];    //make the elements below the pivot
elements equal to zero or eliminate the variables
        }
for (i=n-1;i>=0;i--)          //back-substitution
{
    //x is an array whose values correspond to the values of
x,y,z..
    a[i]=B[i][n];          //make the variable to be calculated equal to the
rhs of the last equation
    for (j=0;j<n;j++)
        if (j!=i)          //then subtract all the lhs values except the
coefficient of the variable whose value is being
calculated
            a[i]=a[i]-B[i][j]*a[j];
    a[i]=a[i]/B[i][i];          //now finally divide the rhs by the coefficient
of the variable to be calculated
}
cout<<"\n\nThe values of the coefficients are as follows:\n";
for (i=0;i<n;i++)
    cout<<"x^"<<i<<"="<<a[i]<<endl;          // Print the values of
x^0,x^1,x^2,x^3,....
cout<<"\n\nHence the fitted Polynomial is given by:\ny=";
for (i=0;i<n;i++)
    cout<<" + ("<<a[i]<<")"<<"x^"<<i;
cout<<"\n";
return 0;
}
//output attached as .jpg

```



```

Enter the no. of data pairs to be entered:
5

Enter the x-axis values:
0
1
2
3
4

Enter the y-axis values:
1
1.8
1.3
2.5
6.3

What degree of Polynomial do you want to use for the fit?
2

The Normal(Augmented Matrix) is as follows:
5.0000      10.0000      30.0000      12.9000
10.0000     30.0000     100.0000     37.1000
30.0000     100.0000    354.0000    130.3000

The values of the coefficients are as follows:
x^0=1.4200
x^1=-1.0700
x^2=0.5500

Hence the fitted Polynomial is given by:
y= + (1.4200)x^0 + (-1.0700)x^1 + (0.5500)x^2

```

Sample Output

Explanation of the code:

So that's it! That's how you perform a polynomial fit to a given set of data.

I have also ported my code to JAVA so that it works in my Android App.

So if you want you can check out those posts too.

Hope you guys find it useful!

If you have any questions/doubts, hit me up in the comments section below.

You can refer to the following links for more info:

Linear Fitting - [Lab Write-Up](#)

Linear Fitting - [C++ Program](#)

Linear Fitting - [Scilab Code](#)

Curve Fit Tools - [Android App](#) (using the above code)

Curve Fit Tools - [Documentation](#)

Curve Fit Tools - [Play Store](#)

Curve Fit Tools - [GitHub Repository](#)

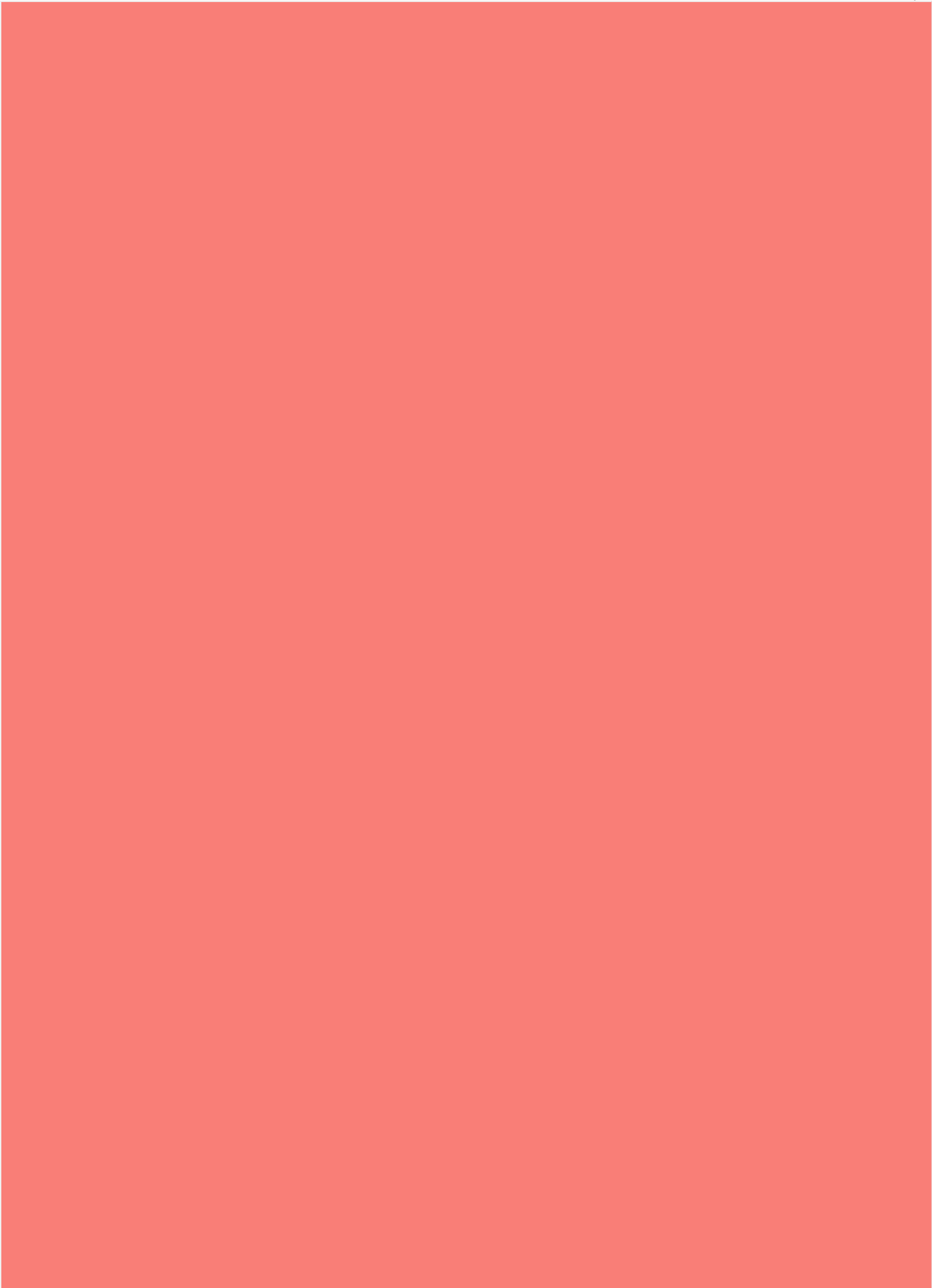
Curve Fitters - [Scilab Toolbox](#)

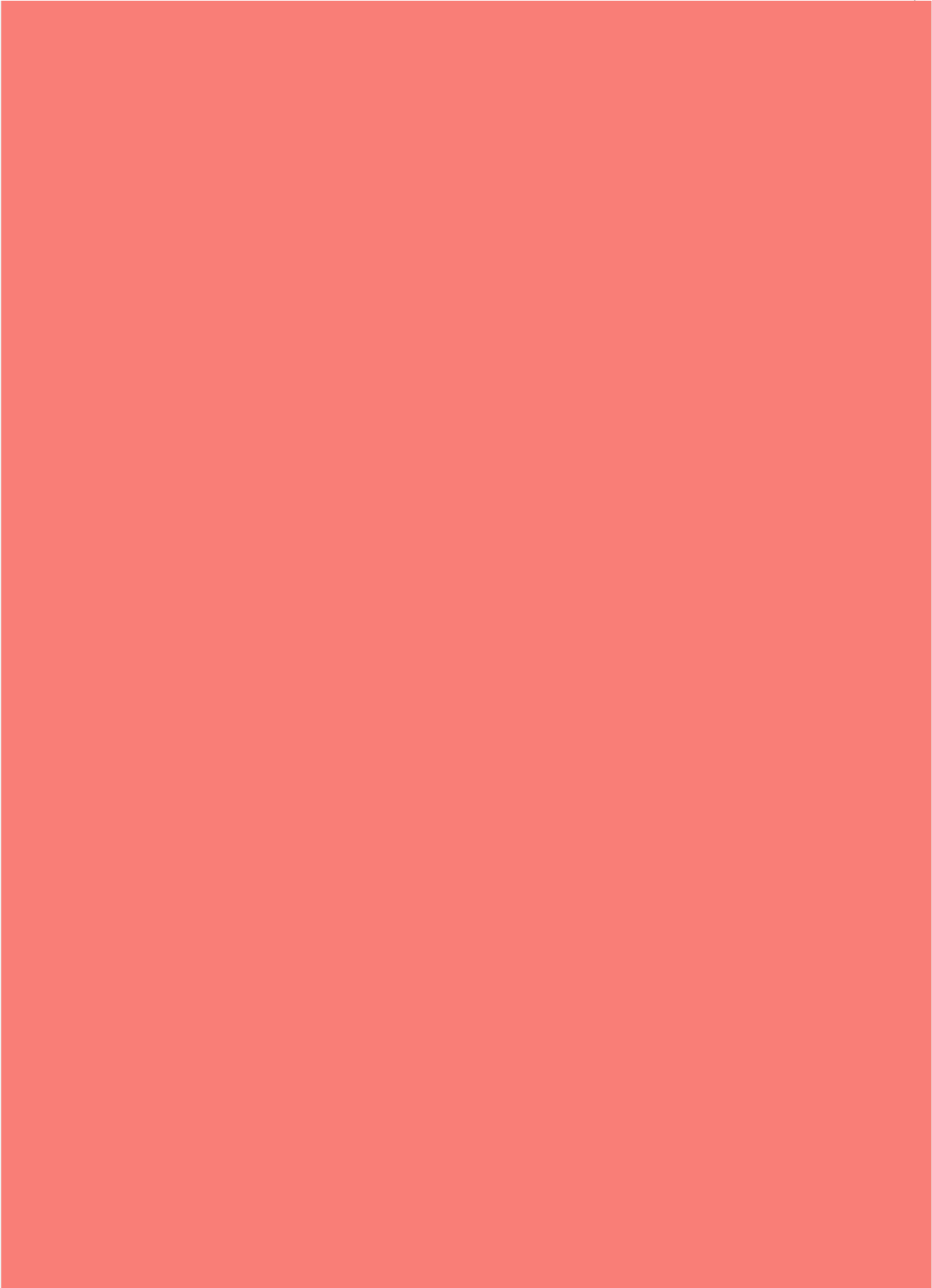


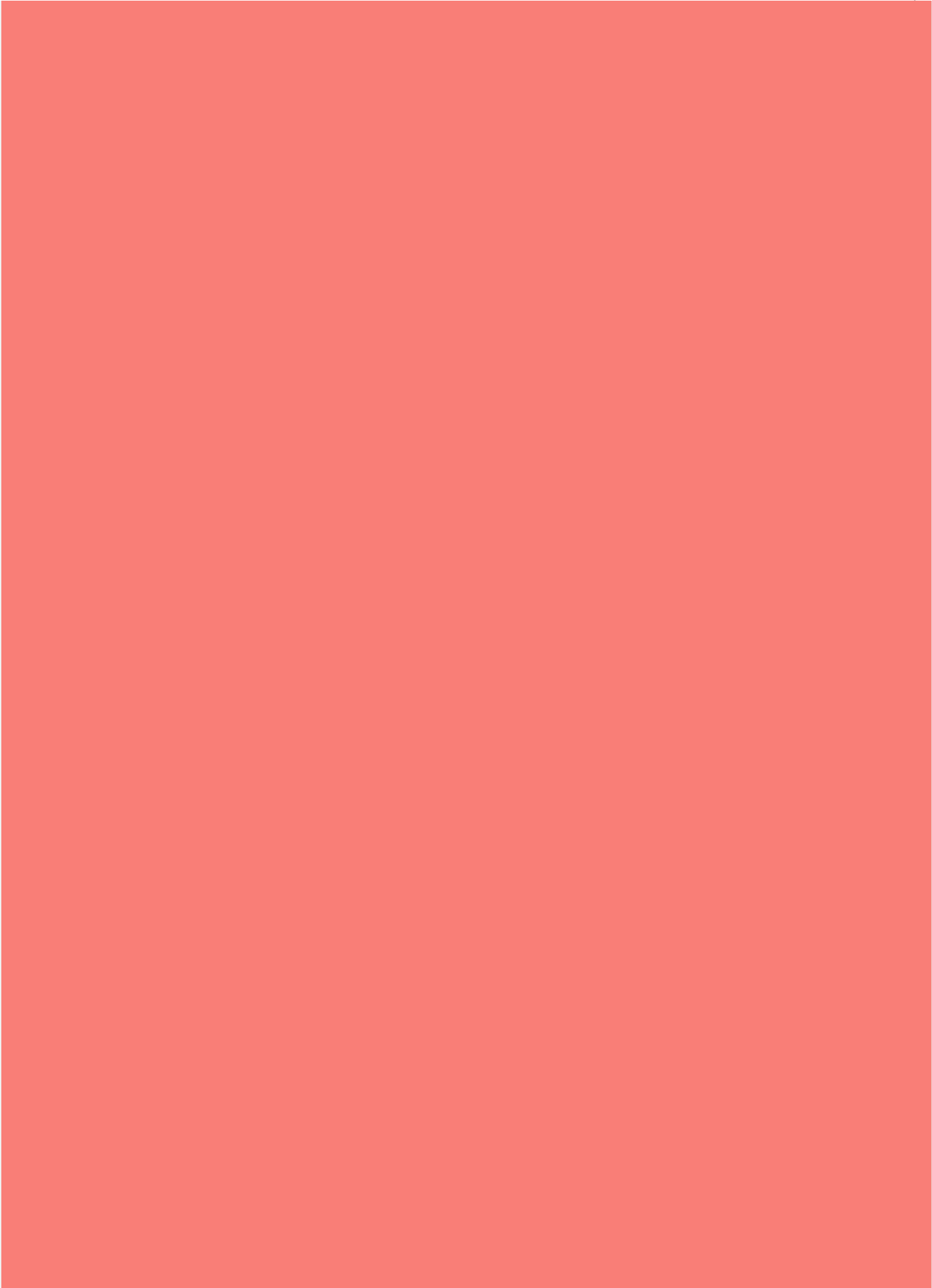
## Manas Sharma

I'm a physicist specializing in computational material science with a PhD in Physics from Friedrich-Schiller University Jena, Germany. I write efficient codes for simulating light-matter interactions at atomic scales. I like to develop Physics, DFT, and Machine Learning related apps and software from time to time. Can code in most of the popular languages. I like to share my knowledge in Physics and applications using this Blog and a YouTube channel.

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